1. The wave function of an object of mass m in a quantum mechanical system is given by:

$$\psi(x,t) = \psi_0 exp(-\frac{x^2}{2b^2} - i\frac{\hbar}{2mb^2}t)$$

where b has the units of length. Determine the potential energy V(x) of the system.

- 2. In class we wrote the time-independent schrodinger equation in the position space. Make the needed transformation to re-write it in the momentum space. After that prove that the solution in the momentum space is normalized given that the solution in the position space is also normalized.
- 3. In class we solved the infinite square potential of width a  $(0 \le x \le a)$ . re-do the problem (or make a proper transformation) and solve the same problem for the same width but for  $(-a/2 \le x \le a/2)$ . Comments on the difference in both wave functions and energies obtained in both solutions.
- 4. Solve the following problems from the book: 1.7,1.8,1.17,2.4,2.5